

Y9 Maths Knowledge Organiser Topic 12: Probability of Multiple Events

What must I be able to do?	Key vocabulary						
New content: <ul style="list-style-type: none"> □ Use Venn diagrams to solve probability questions <ul style="list-style-type: none"> ➤ Sparx M329, M419 □ Use probability tree diagrams to work out probabilities involved in combined events <ul style="list-style-type: none"> ➤ Sparx M299 □ Be able to use an AND/OR method to solve a more complex probability question where using a tree diagram would be unrealistic □ Work out the probability of combined events with conditional probability <ul style="list-style-type: none"> ➤ Sparx B604 	<table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td style="width: 30%;">Independent</td> <td>Where the <u>outcome of one</u> experiment <u>does not affect the probability</u> of a <u>second</u>.</td> </tr> <tr> <td>AND</td> <td>The outcome has to satisfy <u>both</u> conditions at the <u>same time</u>.</td> </tr> <tr> <td>OR</td> <td>The outcome has to satisfy <u>one</u> condition, <u>or the other, or both</u>.</td> </tr> </table>	Independent	Where the <u>outcome of one</u> experiment <u>does not affect the probability</u> of a <u>second</u> .	AND	The outcome has to satisfy <u>both</u> conditions at the <u>same time</u> .	OR	The outcome has to satisfy <u>one</u> condition, <u>or the other, or both</u> .
Independent	Where the <u>outcome of one</u> experiment <u>does not affect the probability</u> of a <u>second</u> .						
AND	The outcome has to satisfy <u>both</u> conditions at the <u>same time</u> .						
OR	The outcome has to satisfy <u>one</u> condition, <u>or the other, or both</u> .						

Venn diagrams

Probability of A
 $P(A)$

Probability of B
 $P(B)$

Probability of not A
 $P(A')$

Probability of A and B
 $P(A \cap B)$
Also called the intersection

Probability of A or B
 $P(A \cup B)$
Also called the union

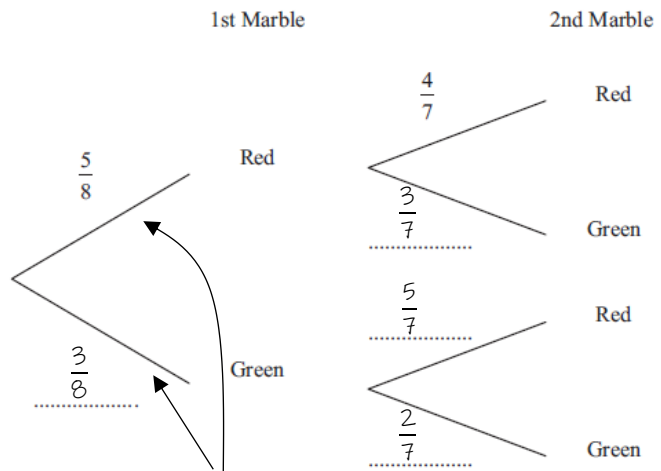
Probability of not A and not B
 $P(A' \cap B')$

Probability of not A or not B
 $P(A' \cup B')$

Tree diagrams

There are only red marbles and green marbles in a bag. There are 5 red marbles and 3 green marbles. Dwayne takes at random a marble from the bag. He does not put the marble back in the bag. Dwayne takes at random a second marble from the bag.

- (a) Complete the probability tree diagram
- (b) Work out the probability that Dwayne takes marbles of different colours.



Probabilities on each set of branches sum to 1

Different colours are:

Red AND Green OR Green AND Red.

So... $\frac{5}{8} \times \frac{3}{7}$ + $\frac{3}{8} \times \frac{5}{7} = \frac{15}{56} + \frac{15}{56} = \frac{30}{56}$

Multiply along the branches – red branch for 1st marble, then green branch for 2nd marble. AND implies we multiply the probabilities

We add the probabilities of different outcomes together. OR implies addition.