


# Y10 Maths Knowledge Organiser Higher Tier: Angles and Scales

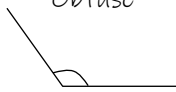
<b>What must I be able to do?</b> <b>New content:</b> <ul style="list-style-type: none"> <li>□ Know the interior and exterior angle sums of a polygon                     <ul style="list-style-type: none"> <li>➤ Sparx U427</li> </ul> </li> <li>□ Read scale drawings and maps                     <ul style="list-style-type: none"> <li>➤ Sparx U257</li> </ul> </li> <li>□ Use bearings to identify directions                     <ul style="list-style-type: none"> <li>➤ Sparx U525, U107</li> </ul> </li> </ul>	<b>Key vocabulary</b> <table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td style="padding: 5px;"><b>Interior angle</b></td> <td style="padding: 5px;">An angle inside a polygon</td> </tr> <tr> <td style="padding: 5px;"><b>Exterior Angle</b></td> <td style="padding: 5px;">An "outside" angle created by extending one side of a polygon in a straight line</td> </tr> <tr> <td style="padding: 5px;"><b>Bearing</b></td> <td style="padding: 5px;">An angle which is measured clockwise from North and written as 3 digits.</td> </tr> </table>	<b>Interior angle</b>	An angle inside a polygon	<b>Exterior Angle</b>	An "outside" angle created by extending one side of a polygon in a straight line	<b>Bearing</b>	An angle which is measured clockwise from North and written as 3 digits.
<b>Interior angle</b>	An angle inside a polygon						
<b>Exterior Angle</b>	An "outside" angle created by extending one side of a polygon in a straight line						
<b>Bearing</b>	An angle which is measured clockwise from North and written as 3 digits.						

### Types of angles


Acute



Obtuse

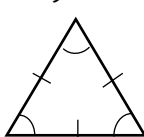


Reflex




### Triangle properties

The dashes tell you which sides are equal




Equilateral

- 3 equal sides
- 3 equal angles
- 3 lines of symmetry



Isosceles

- 2 equal sides
- 2 equal base angles
- 1 line of symmetry

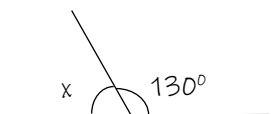


Scalene

- no equal sides
- no equal angles
- no lines of symmetry

### Angle facts

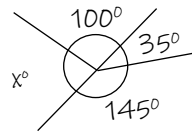
Angles at a point on a straight line sum to  $180^\circ$



$$x = 180 - 130$$

$$x = 50^\circ$$

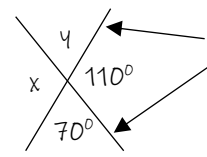
Angles around a point sum to  $360^\circ$



$$x = 360 - 100 - 35 - 145$$

$$x = 80^\circ$$

Vertically opposite angles are equal




These lines must be straight to make vertically opposite angles

$$x = 110^\circ$$

$$y = 70^\circ$$

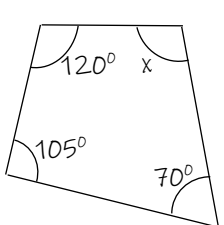
Angles inside a triangle sum to  $180^\circ$



$$x = 180 - 60 - 65$$

$$x = 55^\circ$$

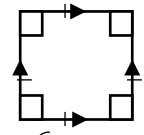
Angles inside any quadrilateral sum to  $360^\circ$



$$x = 360 - 120 - 105 - 70$$

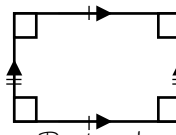
$$x = 65^\circ$$

### Quadrilateral properties



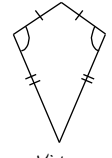
Square

- 4 equal sides
- Opposite sides are parallel
- 4 right angles
- 4 lines of symmetry



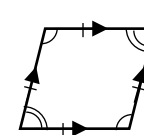
Rectangle

- Opposite sides are equal
- Opposite sides are parallel
- 4 right angles
- 2 lines of symmetry



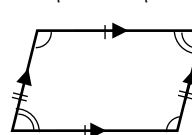
Kite

- 2 pairs of equal sides
- 2 equal angles
- 1 line of symmetry



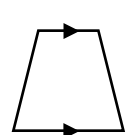
Rhombus

- 4 equal sides
- Opposite sides are parallel
- Opposite angles are equal
- 2 lines of symmetry



Parallelogram

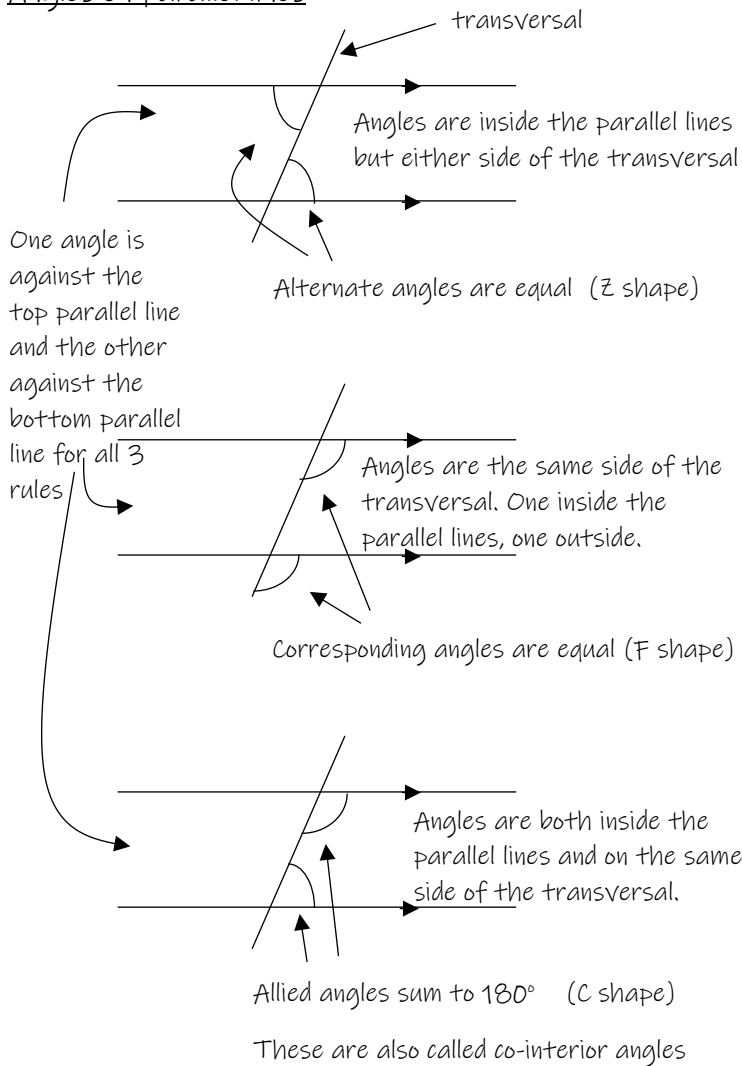
- 2 pairs of equal sides
- Opposite sides are parallel
- Opposite angles are equal
- No lines of symmetry



Trapezium

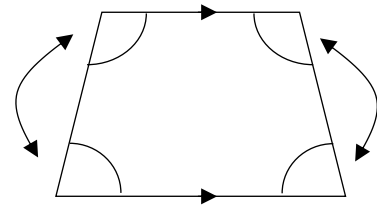
- One pair of parallel sides

## Angles on parallel lines

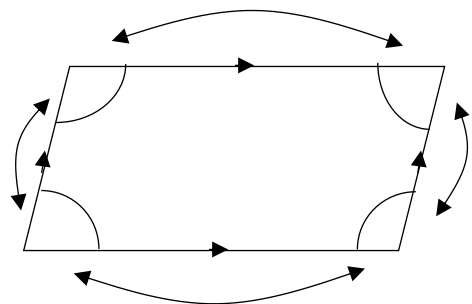


## Angles in trapezia and parallelograms

As a trapezium and a parallelogram have a pair of parallel sides, the angles at each end form a pair of allied angles which sum to  $180^\circ$

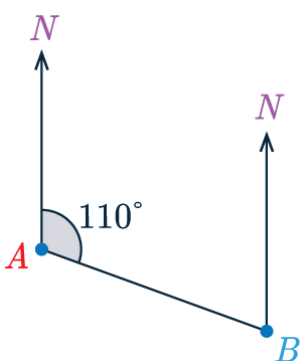


Trapezium - 2 pairs of allied angles

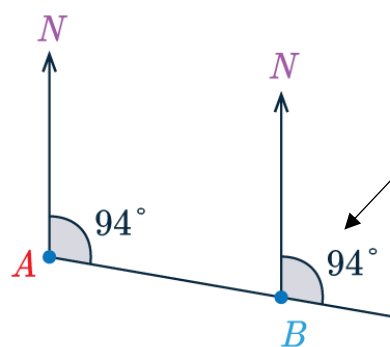


Parallelogram - 4 pairs of allied angles

## Bearings



In this example we would say the bearing of B from A is  $110^\circ$  rather than the bearing from A to B is  $110^\circ$ .

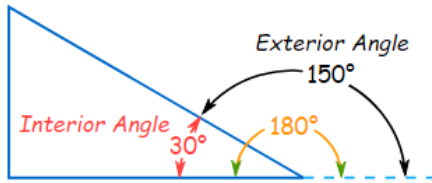


We get the second angle of  $94^\circ$  as they are corresponding angles

If we know the bearing of B from A is  $94^\circ$  then we can calculate the bearing of A from B by extending the line between the points.

The bearing of A from B is  $94 + 180 = 274^\circ$ .

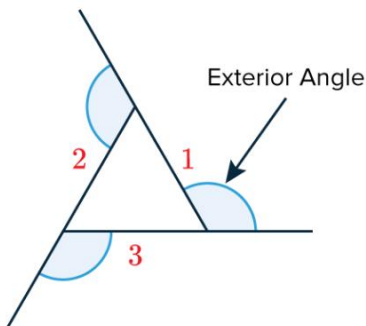
## Angles in polygons



Any individual interior angle + its exterior angle will always sum to  $180^\circ$

The sum of interior angles of a polygon depends on the number of sides:

Shape	Number of Sides	Sum of interior angles	Each individual interior angle if the shape is <b>regular</b>
Triangle	3	$180^\circ$	$180^\circ \div 3 = 60^\circ$
Quadrilateral	4	$360^\circ$	$360^\circ \div 4 = 90^\circ$
Pentagon	5	$540^\circ$	$540^\circ \div 5 = 108^\circ$
Hexagon	6	$720^\circ$	$720^\circ \div 6 = 120^\circ$
Heptagon	7	$900^\circ$	$900^\circ \div 7 = 128.57..^\circ$
Octagon	8	$1080^\circ$	$1080^\circ \div 8 = 135^\circ$
Nonagon	9	$1260^\circ$	$1260^\circ \div 9 = 140^\circ$
Decagon	10	$1440^\circ$	$1440^\circ \div 10 = 144^\circ$
Undecagon	11	$1620^\circ$	$1620^\circ \div 11 = 147.27...^\circ$
Dodecagon	12	$1800^\circ$	$1800^\circ \div 12 = 150^\circ$
...	...	...	...
Any polygon	$n$	$(n - 2) \times 180^\circ$ where $n$ is the number of sides	$(n - 2) \times 180^\circ \div n$



The exterior angles of any polygon will always sum to  $360^\circ$

If the shape is **regular** then each exterior angle can be calculated by doing  $360 \div n$

## Map Scales

A map scale is usually given as a ratio e.g. 1 : 100000

This would mean that for each cm on the map, it represents 100,000 cm (or 1km) in real life.

If you knew the distance in real life you would divide by 100,000 to find the distance on the map.

If you measured a distance on the map, you would multiply it by 100,000 to find the distance in real life.

Other examples: 1 : 50000 1 cm on the map is 50,000 cm in real life (or 0.5 km)

1 : 100 1 cm on the map is 100cm in real life (or 1 m)

**GLUE**

**HERE**