## 47 Maths Knowledge organiser Topic 6: Negative numbers

## What must I be able to do?

$\square$ Represent and order positive and negative integers on a number line > Sparx M527
$\square$ Show addition and subtraction on a number line
$\square$ Apply the four basic operations on positive and negative integers

## > Sparx M106, M288

$\square$ Calculate with rational and other decimal numbers (including negative numbers)

## Key vocabulary

Positive Any number that is greater than zero is a positive number.

Negative Any number that is less than zero is a negative number.

Rational Any number that can be written as a fraction with integers as the top and bottom numbers of the fraction is a rational number.

## Representing Negatives



Negative numbers
Positive numbers

## Multiplying/dividing two numbers which involve negatives

If one of the numbers is negative, the answer is also negative. If both of the numbers are negative, the answer is positive.

| e.g. | $3 x-4=-12$ | $3 \times 4=12$ |
| :--- | :--- | :--- |$\quad$|  | This rule works for both multiplying and dividing but |
| :--- | :--- |
| $-3 \times 4=-12$ | $-3 x-4=12$ |$\quad$ not for addition and subtraction

## Addition and subtraction with negatives

The first number is your starting point. It does not determine whether you end up with a positive or negative value. E.g. $-3+2$ starts at -3 then goes up (to the right) 2 places to end at -1


Things to be careful of:
Adding a negative has the same effect as subtraction so
 start at -8 Move left 3 places
Subtracting a negative number has the same effect as addition
 move right 3 places

## Using negative number tables/double sided counters

It can be easier to represent addition/subtractions using a table of positive \& negative numbers. The key idea to remember is that +1 and -1 make a zero sum, so they add together to make 0 . You can add or cancel these when needed.
e.g. $-3+2$

Start with negative 3

| Positive |  |  |  |
| :--- | :---: | :---: | :---: |
| Negative | - | - | - |

Now add two positives in $(+2)$

| Positive | $\oplus$ | $\oplus$ |  |
| :--- | :---: | :---: | :---: |
| Negative | $\Theta$ | $\Theta$ | $\Theta$ |

The zero pairs cancel to give -1

| Positive | $\nrightarrow$ | $\nrightarrow$ |  |
| :--- | :--- | :--- | :--- |
| Negative | $\varnothing$ | $\not$ | - |

e.g. $-3--5$

Start with negative 3

| Positive |  |  |  |
| :--- | :--- | :--- | :--- |
| Negative | - | $\Theta$ | $\Theta$ |

we need to take away 5 negatives but there are only 3. Add in 2 zero pair sums to take the total up to 5 negatives.

| Positive |  |  |  | $\oplus$ | $\oplus$ |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Negative | $\Theta$ | $\Theta$ | $\Theta$ | $\Theta$ | $\Theta$ |

Take away 5 negatives to give +2 as a final answer.

| Positive |  |  |  | $\oplus$ | $\oplus$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Negative | $\varnothing$ | $\varnothing$ | $\varnothing$ | $\varnothing$ | $\varnothing$ |

