|  | Key vocabulary |  |
| :---: | :---: | :---: |
| $\square$ Recognise acute, right, obtuse and reflex angles <br> > Sparx M502 <br> $\square$ Know and use the facts the angles around a point total $360^{\circ}$, that angles on a straight line total $180^{\circ}$, and that vertically opposite angles are equal $>\text { Sparxm818,m163 }$ <br> $\square$ Know and use the fact the sum of interior angles of a triangle is $180^{\circ}$ <br> > Sparx M351 <br> - Know and use the fact the interior angles of a quadrilateral sum to $360^{\circ}$ <br> $>$ Sparx M679 <br> Extend by including problem solving involving algebra and reasoning. | Ang | A measure of turn. We measure it in degrees |
|  | Acute | Angle less than $90^{\circ}$. |
|  | Obtuse | Angle larger than $90^{\circ}$, smaller than $180^{\circ}$. |
|  | Reflex | Angle larger than $180^{\circ}$, smaller than $360^{\circ}$. |
|  | Interior | The angles inside a shape. |

Types of angles


## Angle facts

Angles at a point on a straight line sum to $180^{\circ}$


Angles around a point sum to $360^{\circ}$


$$
\begin{aligned}
& x=360-100 \\
& -35-145 \\
& x=80^{\circ}
\end{aligned}
$$

Vertically opposite angles are equal


Angles inside a triangle sum to $180^{\circ}$


Angles inside any quadrilateral sum to $360^{\circ}$


## Problem solving with angles and shapes

Find the size of the largest angle on this diagram


Unless told it is drawn to scale, always assume it is not accurately drawn so you cannot measure it with a protractor.
As angles on a straight line add to $180^{\circ}$

$$
\begin{aligned}
& 11 y+4 y=180^{\circ} \\
& 15 y=180^{\circ} \\
& y=12^{\circ}
\end{aligned}
$$

As $114>4 y$, the largest angle is 114 which is $12^{\circ} \times 11=132^{\circ}$

Simon started with an isosceles triangle.
He cut the "top" off the triangle by cutting through the two equal sides. How large is the angle marked $x$ ?
 triangle sum to $180^{\circ}$

As $x$ is in a triangle, the total angle sum is $180^{\circ}$

$$
\text { So } \begin{aligned}
x & =180-40-37 \\
x & =103^{\circ}
\end{aligned}
$$

