

Component 1: Data representation and storage

Representation of numbers (continued)

Two's complement representation

-128	64	32	16	8	4	2	1
1	0	1	0	1	0	0	1

The most significant bit has a negative value. So to the number above represents $-8710 (-128 + 32 + 8 + 1)$.

Negative numbers can be determined by first writing its positive, flipping each bit and adding 1.

-128	64	32	16	8	4	2	1
0	1	0	1	0	1	1	1
1	0	1	0	1	0	0	0
1	0	1	0	1	0	0	1

Positive 87_{10}

Flip the bits

Add 1

Overflow

$$\begin{array}{r} 11011001 \\ + 01010010 \\ \hline \end{array}$$

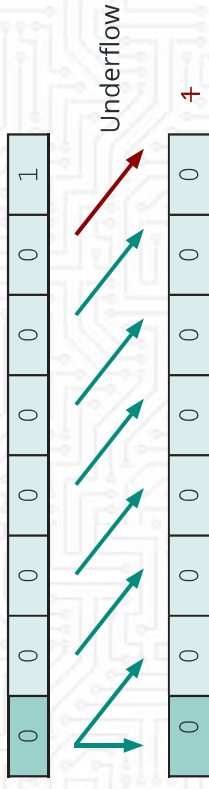
Overflow

$$\begin{array}{r} 1 \\ + 00101011 \\ \hline \end{array}$$

When the number is too large to be stored by the register, the left-most bit cannot be stored and therefore cannot be counted.

Underflow

An arithmetic shift right (see right) on the following number (1_{10}) would be divided by half and so should be 0.5_{10} .



When the number is too small to be stored by the register, the right-most bit cannot be stored and therefore cannot be counted.

Arithmetic shift functions

Moving the bits to either the left of the right, doubles ($\times 2$) or halves ($\div 2$) the value with each.

